

MODA

Physics-based Model: Electronic – Statistical charge transport – Fermi Golden Rule hopping model (RoMM 1.6.2)

1 ASPECT OF THE USER CASE/SYSTEM TO BE SIMULATED	
1.1	<p>ASPECT OF THE USER CASE TO BE SIMULATED</p> <p>Transport of electrons between coarse grained representations of molecules.</p>
1.2	<p>MATERIAL</p> <p><i>P3HT:PCBM, PCDTBT:PCBM, etc</i></p>
1.3	<p>GEOMETRY</p> <p><i>Up to 100x100x100 nm³ domains containing the bulk heterojunction</i></p>
1.4	<p>TIME LAPSE</p> <p><i>up to ms</i></p>
1.5	<p>MANUFACTURING PROCESS OR IN-SERVICE CONDITIONS</p>
1.6	<p>PUBLICATION ON THIS DATA</p>

2 GENERIC PHYSICS OF THE MODEL EQUATION	
2.0	<p>MODEL TYPE AND NAME</p> <p>Statistical charge transport model</p>
2.1	<p>MODEL ENTITY</p> <p>Electrons</p>
2.2	<p>MODEL PHYSICS/CHEMISTRY EQUATION PE</p> <p>Equation</p> <p>Semi-classical Marcus charge transport theory in the high temperature limit.</p>
	<p>Physical quantities</p> <p>Charge, current density and field profiles.</p>
2.3	<p>MATERIALS RELATIONS</p> <p>Relation</p> <p>Charge transfer (hopping) rates based on Fermi's Golden Rule:</p> $\omega_{ij} = \frac{J_{ij}}{\hbar} \sqrt{\frac{\pi}{\lambda_{ij} k_B T}} \exp\left(-\frac{(\Delta E_{ij} - \lambda_{ij})^2}{4\lambda_{ij} k_B T}\right)$

		Physical quantities/descriptors for each MR	Reorganization energies (λ_{ij}), site energy differences (ΔE_{ij}), electronic coupling elements (J_{ij}), charge transfer rates (ω_{ij}).
2.4	SIMULATED INPUT	From CGMD: Coarse grain molecular geometry. From DFT: Reorganization energies, site energy differences, electronic couplings.	

3 SOLVER AND COMPUTATIONAL TRANSLATION OF THE SPECIFICATIONS			
3.1	NUMERICAL SOLVER	Kinetic Monte Carlo	
3.2	SOFTWARE TOOL	In-house KMC solver.	
3.3	TIME STEP		
3.4	COMPUTATIONAL REPRESENTATION	PHYSICS EQUATION, MATERIAL RELATIONS, MATERIAL	Site occupation probability p_i obeys the steady state rate equation $\frac{\partial p_i}{\partial t} = -\sum_j [\omega_{ij} p_i (1 - p_j) - \omega_{ji} p_j (1 - p_i)] = 0$. Waiting time for an event step between sites i and j is $\tau_{ij} = -\frac{\ln(r)}{\omega_{ij}}$, where r is a random number (0,1).
3.5	COMPUTATIONAL BOUNDARY CONDITIONS	Electrostatic bias across simulation cell	
3.6	ADDITIONAL SOLVER PARAMETERS		

4 POST PROCESSING		
4.1	THE PROCESSED OUTPUT	Current density, carrier mobility Output (carrier mobility) will be used in larger finite volume simulations of continuum electrics (drift-diffusion).
4.2	METHODOLOGIES	Current density is obtained from carrier flux, charge mobility from drift velocity of carriers in an external field.
4.3	MARGIN OF ERROR	